APPENDIX B

CALCULATIONS AND CONVERSIONS

INTRODUCTION

App B 1. Purpose and Scope

This chapter discusses the use of calculators and computers in navigation and summarizes the formulas the navigator depends on during voyage planning, piloting, celestial navigation, and various related tasks. To fully utilize this chapter, the navigator should be competent in basic mathematics including algebra and trigonometry (See Chapter 1 - Mathematics in Volume II) and be familiar with the use of a basic scientific calculator. The navigator should choose a calculator based on personal needs, which may vary greatly from person to person according to individual abilities and responsibilities.

App B 2. Use of Calculators in Navigation

Any common calculator can be used in navigation, even one providing only the four basic arithmetic functions of addition, subtraction, multiplication, and division. Any good scientific calculator can be used for sight reduction, sailings, and other tasks. However, the use computer applications and handheld calculators specifically designed for navigation will greatly reduce the workload of the navigator, reduce the possibility of errors, and assure accuracy of the results calculated.

Calculations of position based on celestial observations have become increasingly uncommon since the advent of GPS as a dependable position reference for all modes of navigation. This is especially true since GPS units provide worldwide positioning with far greater accuracy and reliability than celestial navigation.

However, for those who use celestial techniques, a celestial navigation calculator or computer application can improve celestial position accuracy by easily solving numerous sights, and by reducing mathematical and tabular errors inherent in the manual sight reduction process. They can also provide weighted plots of the LOP's from any number of celestial bodies, based on the navigator's subjective analysis of each sight, and calculate the best fix with latitude/longitude readout.

In using a calculator for any navigational task, it is important to remember that the accuracy of the result, even if carried out many decimal places, is only as good as the least accurate entry. If a sextant observation is taken to an accuracy of only a minute, that is the best accuracy of the final solution, regardless the calculator's ability to solve to 12 decimal places. See Chapter 3 - Navigational Error in Volume II for a discussion of the sources of error in navigation.

Some basic calculators require the conversion of degrees, minutes and seconds (or tenths) to decimal degrees before solution. A good navigational calculator, however, should permit entry of degrees, minutes and tenths of minutes directly, and should do conversions automatically. Though many non-navigational computer programs have an on-screen calculator, they are generally very simple versions with only the four basic arithmetical functions. They are thus too simple for complex navigational problems. Conversely, a good navigational computer program requires no calculator per se, since the desired answer is calculated automatically from the entered data.

The following articles discuss calculations involved in various aspects of navigation.

App B 3. Calculations of Piloting

• Hull speed in knots is found by:

 $S = 1.34 \sqrt{\text{waterline length}}$ (in feet)

This is an approximate value which varies with hull shape.

• **Nautical and U.S. survey miles** can be interconverted by the relationships:

1 nautical mile = 1.15077945 U.S. survey miles.

1 U.S. survey mile = 0.86897624 nautical miles.

• The speed of a vessel over a measured mile can be calculated by the formula:

$$S = \frac{3600}{T}$$

where S is the speed in knots and T is the time in seconds.

• The distance traveled at a given speed is computed

by the formula:

$$D = \frac{ST}{60}$$

where D is the distance in nautical miles, S is the speed in knots, and T is the time in minutes.

• **Distance to the visible horizon in nautical miles** can be calculated using the formula:

$$D = 1.17 \sqrt{h_f} \text{, or}$$
$$D = 2.07 \sqrt{h_m}$$

depending upon whether the height of eye of the observer above sea level is in feet (h_f) or in meters (h_m) .

• Dip of the visible horizon in minutes of arc can be calculated using the formula:

D = 0.97'
$$\sqrt{h_f}$$
 , or
D = 1.76' $\sqrt{h_m}$

depending upon whether the height of eye of the observer above sea level is in feet (h_f) or in meters (h_m) .

• **Distance to the radar horizon** in nautical miles can be calculated using the formula:

$$D$$
 = $1.22 \sqrt{h_{f}}$, or
$$D$$
 = $2.21 \sqrt{h_{m}}$

depending upon whether the height of the antenna above sea level is in feet (h_f) or in meters (h_m) .

• **Dip of the sea short of the horizon** can be calculated using the formula:

Ds = 60 tan⁻¹
$$\left(\frac{h_f}{6076.1 d_s} + \frac{d_s}{8268}\right)$$

where Ds is the dip short of the horizon in minutes of arc; h_f is the height of eye of the observer above sea level, in feet and d_s is the distance to the waterline of the object in nautical miles.

• Distance by vertical angle between the waterline and the top of an object is computed by solving the right triangle formed between the observer, the top of the object, and the waterline of the object by simple trigonometry. This assumes that the observer is at sea level, the Earth is flat between observer and object, there is no refraction, and the object and its waterline form a right angle. For most cases of practical significance, these assumptions produce no large

errors. A table is computed by means of a formula:

$$D = \sqrt{\frac{\tan^2 a}{0.0002419^2} + \frac{H - h}{0.7349}} - \frac{\tan a}{0.0002419}$$

where D is the distance in nautical miles, a is the corrected vertical angle, H is the height of the top of the object above sea level, and h is the observer's height of eye in feet. The constants (0.0002419 and 0.7349) account for refraction.

App B 4. Tide Calculations

The rise and fall of a diurnal tide can be roughly calculated from the following table, which shows the fraction of the total range the tide rises or falls during flood or ebb.

Hour	Amount of flood/ebb
1	1/12
2	2/12
3	3/12
4	3/12
5	2/12
6	1/12

App B 5. Calculations of Celestial Navigation

Unlike sight reduction by tables, sight reduction by calculator permits the use of nonintegral values of latitude of the observer, and LHA and declination of the celestial body. Interpolation is not needed, and the sights can be readily reduced from any assumed position. Simultaneous, or nearly simultaneous, observations can be reduced using a single assumed position. Using the observer's DR or MPP for the assumed longitude usually provides a better representation of the circle of equal altitude, particularly at high observed altitudes.

• **The dip correction** is computed in the *Nautical Almanac* using the formula:

$$D = 0.97 \sqrt{h}$$

where dip is in minutes of arc and h is height of eye in feet. This correction includes a factor for refraction. The *Air Almanac* uses a different formula intended for air navigation. The differences are of no significance in practical navigation.

The computed altitude (Hc) is calculated using the basic formula for solution of the undivided navigational triangle:

$$sinh = sinLsind + cosLcosdcosLHA$$

in which h is the altitude to be computed (Hc), L is the latitude of the assumed position, d is the declination of the celestial body, and LHA is the local hour angle of the body. Meridian angle (t) can be substituted for LHA in the basic formula.

Restated in terms of the inverse trigonometric function:

Hc =
$$\sin^{-1}[(\sin L \sin d) + (\cos L \cos d \cos LHA)]$$
.

When latitude and declination are of contrary name, declination is treated as a negative quantity. No special sign convention is required for the local hour angle, as in the following azimuth angle calculations.

• The azimuth angle (Z) can be calculated using the altitude azimuth formula if the altitude is known. The formula stated in terms of the inverse trigonometric function is:

$$Z = \cos^{-1} \left(\frac{\sin d - (\sin L \sin Hc)}{(\cos L \cos Hc)} \right)$$

If the altitude is unknown or a solution independent of altitude is required, the azimuth angle can be calculated using the time azimuth formula:

$$Z = \tan^{-1} \left(\frac{\sin LHA}{(\cos L \tan d) - (\sin L \cos LHA)} \right)$$

The sign conventions used in the calculations of both azimuth formulas are as follows: (1) if latitude and declination are of contrary name, declination is treated as a negative quantity; (2) if the local hour angle is greater than 180° , it is treated as a negative quantity.

If the azimuth angle as calculated is negative, add 180° to obtain the desired value.

• Amplitudes can be computed using the formula:

$$A = \sin^{-1}(\sin d \sec L)$$

this can be stated as

$$A = \sin^{-1}(\frac{\sin d}{\cos L})$$

where A is the arc of the horizon between the prime vertical and the body, L is the latitude at the point of observation, and d is the declination of the celestial body.

App B 6. Calculations of the Sailings

• **Plane sailing** is based on the assumption that the meridian through the point of departure, the parallel through the destination, and the course line form a plane right triangle, as shown in Figure B6.

From this:
$$\cos C = \frac{1}{D}$$
, $\sin C = \frac{p}{D}$, and $\tan C = \frac{p}{1}$.

From this: 1=D cos C, D=1 sec C, and p=D sin C.

From this, given course and distance (C and D), the difference of latitude (l) and departure (p) can be found, and given the latter, the former can be found, using simple trigonometry. See Chapter 12 - The Sailings, Volume I.

 Traverse sailing combines plane sailings with two or more courses, computing course and distance along a series of rhumb lines. See Chapter 12 - The Sailings, Volume I.

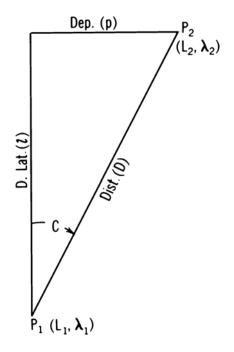


Figure B6. The plane sailing triangle.

• **Parallel sailing** consists of interconverting departure and difference of longitude. Refer to Figure B6.

 $DLo = p \sec L$, and $p = DLo \cos L$

• **Mid-latitude sailing** combines plane and parallel sailing, with certain assumptions. The mean latitude (Lm) is half of the arithmetical sum of the latitudes of two places on the same side of the equator. For places on opposite sides of the equator, the N and S portions are solved separately.

In mid-latitude sailing:

DLo = p sec Lm, and p= DLo cos Lm

• Mercator Sailing problems are solved graphically on a Mercator chart. For mathematical Mercator solutions the formulas are:

$$\tan C = \frac{DLo}{m}$$
 or $DLo= m \tan C$

where m is the meridional part from Table 6 in the Tables Part of this volume. Following solution of the course angle by Mercator sailing, the distance is by the plane sailing formula:

$$D = l \sec C.$$

• Great-circle solutions for distance and initial course angle can be calculated from the formulas:

$$D = \cos^{-1} \left[(\sin L_1 \sin L_2 + \cos L_1 \cos L_2 \cos DL_0) \right]$$

and

$$C = \tan^{-1} \left(\frac{\sin DLo}{(\cos L_1 \tan L_2) - (\sin L_1 \cos DLo)} \right)$$

where D is the great-circle distance, C is the initial great-circle course angle, L_1 is the latitude of the point of departure, L_2 is the latitude of the destination, and DLo is the difference of longitude of the points of departure and destination. If the name of the latitude of the destination is contrary to that of the point of departure, it is treated as a negative quantity.

The latitude of the vertex, L_v , is always numerically equal to or greater than L_1 or L_2 . If the initial course angle C is less than 90°, the vertex is toward L_2 , but if C is greater than 90°, the nearer vertex is in the opposite direction. The vertex nearer L_1 has the same name as L_1 .

The latitude of the vertex can be calculated from the formula:

$$L_v = \cos^{-1}(\cos L_1 \sin C)$$

The difference of longitude of the vertex and the point of departure (DLo_v) can be calculated from the formula:

$$DLo_v = \sin^{-1}\left(\frac{\cos C}{\sin L_v}\right).$$

The distance from the point of departure to the vertex

 (D_v) can be calculated from the formula:

$$D_v = sin^{-1}(cos L_1 sin DLo_v)$$

The latitudes of points on the great-circle track can be determined for equal DLo intervals each side of the vertex (DLo_{vx}) using the formula:

$$L_x = \tan^{-1}(\cos D Lo_{vx} \tan L_v)$$

The DLo_v and D_v of the nearer vertex are never greater than 90°. However, when L_1 and L_2 are of contrary name, the other vertex, 180° away, may be the better one to use in the solution for points on the great-circle track if it is nearer the mid point of the track.

The method of selecting the longitude (or DLo_{vx}), and determining the latitude at which the great-circle crosses the selected meridian, provides shorter legs in higher latitudes and longer legs in lower latitudes. Points at desired distances or desired equal intervals of distance on the great-circle from the vertex (D_{vx}) can be calculated using the formulas:

$$L_{x} = \sin^{-1} \left[\sin L_{v} \cos D_{vx} \right],$$

and

$$DLo_{vx} = \sin^{-1} \left(\frac{\sin D_{vx}}{\cos L_{x}} \right).$$

A calculator which converts rectangular to polar coordinates provides easy solutions to plane sailings. However, the user must know whether the difference of latitude corresponds to the calculator's X-coordinate or to the Y-coordinate.

App B 7. Calculations of Meteorology and Oceanography

• **Converting thermometer scales** between centigrade, Fahrenheit, and Kelvin scales can be done using the following formulas:

$$C^{\circ} = \frac{5(F^{\circ} - 32^{\circ})}{9},$$

 $F^{\circ} = \frac{9}{5}C^{\circ} + 32^{\circ}, \text{ and}$

$$K^{\circ} = C^{\circ} + 273.15^{\circ}$$

Maximum length of sea waves can be found by the

•

formula:

Wave speed in knots

W = $1.5\sqrt{\text{fetch in nautical miles}}$.

- = $1.34\sqrt{\text{wavelength in feet}}$, or
- = 3.03 wave period in seconds.

• Wave height = 0.026 S² where S is the wind speed in knots.

UNIT CONVERSION

Use the conversion tables that appear on the following pages to convert between different systems of units. Conversions followed by an asterisk* are exact relationships.

MISCELLANEOUS DATA

Area	
1 square inch	= 6.4516 square centimeters*
1 square foot	_ = 144 square inches*
	= 0.09290304 square meter*
	= 0.000022957 acre
1 square yard	_ = 9 square feet*
	= 0.83612736 square meter
1 square (statute) mile	_ = 27,878,400 square feet*
	= 640 acres*
	= 2.589988110336 square kilometers*
1 square centimeter	= 0.1550003 square inch
	= 0.00107639 square foot
1 square meter	_ = 10.76391 square feet
	= 1.19599005 square yards
1 square kilometer	= 247.1053815 acres
	= 0.38610216 square statute mile
	= 0.29155335 square nautical mile
Astronomy	
1 mean solar unit	_ = 1.00273791 sidereal units
1 sidereal unit	
1 microsecond	
1 second	_ = 1,000,000 microseconds*
	= 0.016666667 minute
	= 0.00027778 hour
	$= 0.00001157 ext{ day}$
1 minute	$= 60 \text{ seconds}^*$
	= 0.01666667 hour
	= 0.00069444 day
1 hour	$= 3,600 \text{ seconds}^*$
	$= 60 \text{ minutes}^*$
	$= 0.04166667 ext{ day}$
1 mean solar day	$= 24^{h}03^{m}56^{s}.55536$ of mean sidereal time
	= 1 rotation of Earth with respect to Sun (mean) $*$
	= 1.00273791 rotations of Earth
	with respect to vernal equinox (mean)
	= 1.0027378118868 rotations of Earth
	with respect to stars (mean)
1 mean sidereal day	$= 23^{h}56^{m}04^{s}09054$ of mean solar time
1 sidereal month	
	$= 27^{d}07^{h}43^{m}11^{s}.5$
1 synodical month	_ = 29.530588 days
	$= 29^{d}12^{h}44^{m}02^{s}.8$
1 tropical (ordinary) year	
· · · · · · · · · · · · · · · · · · ·	= 525,948.766 minutes

	= 8,765.8128 hours
	$= 365^{d}.24219879 - 0^{d}.0000000614(t-1900),$
	where $t =$ the year (date)
	$= 365^{d}05^{h}48^{m}46^{s} (-) 0^{s}.0053(t-1900)$
1 sidereal year	$= 365^{d} \cdot 25636042 + 0.0000000011(t-1900),$
	where $t =$ the year (date)
	$= 365^{d}06^{h}09^{m}09^{s}.5(+)0^{s}.0001(t-1900)$
1 calendar year (common)	
	= 525,600 minutes*
	= 8,760 hours*
	= 365 days*
1 calendar year (leap)	
	= 527,040 minutes*
	= 8,784 hours*
11'1.	= 366 days
1 light-year	= 9,460,000,000,000 kilometers = 5,880,000,000,000 statute miles
	= 5,880,000,000,000 statute times = 5,110,000,000,000 nautical miles
	= 63,240 astronomical units
	= 0.3066 parsecs
1 parsec	-
	= 19,170,000,000,000 statute miles
	= 16,660,000,000,000 nautical miles
	= 206,300 astronomical units
	= 3.262 light years
1 astronomical unit	
	= 92,960,000 statute miles
	= 80,780,000 nautical miles
	$= 499^{\circ}.012$ light-time
	= mean distance, Earth to Sun
Mean distance, Earth to Moon	= 384,400 kilometers = 238,855 statute miles
	= 207,559 nautical miles
Mean distance, Earth to Sun	
	= 92,957,000 statute miles
	= 80,780,000 nautical miles
	= 1 astronomical unit
Sun's diameter	= 1,392,000 kilometers
	= 865,000 statute miles
	= 752,000 nautical miles
Sun's mass	= 1,987,000,000,000,000,000,000,000,000,000,0
	= 2,200,000,000,000,000,000,000,000,000 short tons
	= 2,000,000,000,000,000,000,000,000 long tons
Speed of Sun relative to neighboring stars	= 19.4 kilometers per second = 12.1 statute miles per second
	= 12.1 statute lines per second = 10.5 nautical miles per second
Orbital speed of Earth	-
	= 18.5 statute miles per second
	= 16.1 nautical miles per second
Obliquity of the ecliptic	
	where $t =$ the year (date)
General precession of the equinoxes	= 50''.2564 + 0''.000222 (t-1900), per year,
	where $t =$ the year (date)
Precession of the equinoxes in right ascension _	
	where $t =$ the year (date)
Precession of the equinoxes in declination	
	where $t = $ the year (date)
Magnitude ratio	
	$= \sqrt[5]{100}*$

Charts	
Nautical miles per inch	= reciprocal of natural scale 72,913.39
Statute miles per inch	= reciprocal of natural scale 63,360*
Inches per nautical mile	= 72,913.39 natural scale
Inches per statute mile	
Natural scale	
	= 1:63,360 statute miles per inch*
Earth	
Acceleration due to gravity (standard)	= 980.665 centimeters per second per second
	= 32.1740 feet per second per second
Mass-ratio—Sun/Earth	= 332,958
Mass-ratio—Sun/(Earth & Moon)	= 328,912
Mass-ratio—Earth/Moon	= 81.30
Mean density	
Velocity of escape	
Curvature of surface	= 0.8 foot per nautical mile
World Geodetic System (WGS) Ellipsoid of 1984	·
Equatorial radius (a)	
	= 3,443.918 nautical miles
Polar radius (b)	
	= 3432.372 nautical miles
Mean radius $(2a + b)/3$	
	= 3440.069 nautical miles
Flattening or ellipticity $(f = 1 - b/a)$	
\overline{D}	= 0.003352811
Eccentricity (e = $(2f - f^2)^{1/2}$)	
Eccentricity squared (e^2)	= 0.006694380
Length	
1 inch	= 25.4 millimeters*
	= 2.54 centimeters*
1 foot (U.S.)	= 12 inches*
	= 1 British foot
	$= \frac{1}{3}$ yard*
	= 0.3048 meter*
	$= \frac{1}{6}$ fathom*
1 foot (U.S. Survey)	= 0.30480061 meter
1 yard	= 36 inches*
	$= 3 \text{ feet}^*$
	= 0.9144 meter*
1 fathom	$= 6 \text{ feet}^*$
	$= 2 \text{ yards}^*$
	= 1.8288 meters*
1 cable	
	= 240 yards*
	= 219.4560 meters*
1 cable (British)	
1 statute mile	
	= 1,760 yards*
	= 1,609.344 meters*
	= 1.609344 kilometers*
	= 0.86897624 nautical mile
1 nautical mile	
	= 2,025.37182852 yards
	= 1,852 meters*
	= 1.852 kilometers*
	= 1.150779448 statute miles
1 meter	
	= 39.370079 inches

	= 3.28083990 feet
	= 1.09361330 yards
	= 0.54680665 fathom
	= 0.00062137 statute mile
	= 0.00053996 nautical mile
1 kilometer	= 3.280.83990 feet
	= 1,093.61330 yards
	= 1,000 meters*
	= 0.62137119 statute mile
	= 0.53995680 nautical mile
14	
Mass	
1 ounce	= 437.5 grains*
	= 28.349523125 grams*
	= 0.0625 pound*
1 1	= 0.028349523125 kilogram*
1 pound	= 7,000 grains* = 16 ounces*
	$= 0.45359237 \text{ kilogram}^*$
1 short ton	= 2,000 pounds*
	= 907.18474 kilograms*
	= 0.90718474 metric ton*
	= 0.8928571 long ton
1 long ton	= 2,240 pounds*
	= 1,016.0469088 kilograms*
	= 1.12 short tons* = 1.0160469088 metric tons*
1 kilogram	
	= 0.00110231 short ton
	$= 0.0009842065 \log ton$
1 metric ton	
	= 1,000 kilograms*
	= 1.102311 short tons
	= 0.9842065 long ton
Mathematics	
π	= 3.1415926535897932384626433832795028841971
π^2	= 9.8696044011
$\sqrt{\pi}$	
Base of Naperian logarithms (e)	= 2.718281828459
Modulus of common logarithms $(\log_{10}e)_{-}$	= 0.4342944819032518
1 radian	= 206,264."80625
	= 3,437'.7467707849
	= 57°.2957795131 = 57°17′44″.80625
1 circle	= 371744.00023 = 1,296,000"*
	= 21,600'*
	$= 360^{\circ}*$
	$=2\pi$ radians*
180°	$=\pi$ radians*
1°	= 3600"*
	= 60'*
1′	= 0.0174532925199432957666 radian = 60"*
1′	$= 60^{-*}$ = 0.000290888208665721596 radian
1″	
Sine of 1'	= 0.00029088820456342460
Sine of 1'	= 0.00000484813681107637
Meteorology Atmosphere (dry air)	
Nitrogen	-78.08%

Nitrogen	= 78.08%	
Oxygen	= 20.95%	99.99%
Argon	= 0.93%	99.9970
Carbon dioxide	= 0.03%	
Neon	= 0.0018%	

CALCULATIONS AND CONVERSIONS

Helium	 = 0.0001% = 0.00005% = 0.000087% = 0 to 0.000007% (increasing with altitude) = 0.000000000000006% (decreasing with altitude) = 1,013.250 dynes per square centimeter = 1,033.227 grams per square centimeter = 1,013.250 hectopascals (millibars)* = 760 millimeters of mercury = 73.8985 feet of water = 29.92126 inches of mercury = 14.6960 pounds per square inch = 1.033227 kilograms per square centimeter
	= (-)459.69°F
Pressure	
1 dyne per square centimeter	$= 0.000001 \text{ bar}^*$
1 gram per square centimeter	 = 1 centimeter of water = 0.980665 hectopascal (millibar)* = 0.07355592 centimeter of mercury
1 hectopascal (millibar)	 = 0.0289590 inch of mercury = 0.0142233 pound per square inch = 0.001 kilogram per square centimeter* = 0.000967841 atmosphere = 1,000 dynes per square centimeter* = 1.01971621 grams per square centimeter = 0.7500617 millimeter of mercury = 0.03345526 foot of water = 0.02952998 inch of mercury = 0.01450377 pound per square inch
1 millimeter of mercury	 = 0.001 bar* = 0.00098692 atmosphere = 1.35951 grams per square centimeter = 1.3332237 hectopascals (millibars) = 0.1 centimeter of mercury* = 0.04460334 foot of water
1 centimeter of mercury	 = 34.53155 grams per square centimeter = 33.86389 hectopascals (millibars) = 25.4 millimeters of mercury* = 1.132925 feet of water
1 centimeter of water	= 0.001 kilogram per square centimeter
1 pound per square inch	= 2.30365 centimeters of mercury = 0.882671 inch of mercury = 0.4335275 pound per square inch = 0.02949980 atmosphere = $68,947.57$ dynes per square centimeter = 70.30696 grams per square centimeter = 70.30696 centimeters of water = 68.94757 hectopascals (millibars) = 51.71493 millimeters of mercury = 5.171493 centimeters of mercury = 2.306659 feet of water = 2.036021 inches of mercury

1 kilogram per square centimeter	 = 0.07030696 kilogram per square centimeter = 0.06894757 bar = 0.06804596 atmosphere = 1,000 grams per square centimeter* = 1,000 centimeters of water = 1,000,000 dynes per square centimeter*
	= 1,000 hectopascals (millibars)*
Speed 1 foot per minute 1 yard per minute	= 0.01666667 foot per second = 0.00508 meter per second* = 3 feet per minute* = 0.05 foot per second*
1 foot per second	 = 0.03409091 statute mile per hour = 0.02962419 knot = 0.01524 meter per second* = 60 feet per minute* = 20 yards per minute* = 1.09728 kilometers per hour* = 0.68181818 statute mile per hour
1 statute mile per hour	= 0.59248380 knot = 0.3048 meter per second* = 88 feet per minute* = 29.33333333 yards per minute = 1.609344 kilometers per hour* = 1.46666667 feet per second
1 knot	= 0.86897624 knot = 0.44704 meter per second* = 101.26859143 feet per minute = 33.75619714 yards per minute = 1.852 kilometers per hour* = 1.68780986 feet per second
1 kilometer per hour	= 1.15077945 statute miles per hour $= 0.51444444 meter per second$ $= 0.62137119 statute mile per hour$ $= 0.53995680 knot$ $= 196.85039340 feet per minute$ $= 65.6167978 yards per minute$ $= 3.6 kilometers per hour*$
Light in vacuum	 = 3.28083990 feet per second = 2.23693632 statute miles per hour = 1.94384449 knots = 299,792.5 kilometers per second = 186,282 statute miles per second = 161,875 nautical miles per second = 983.570 feet per microsecond = 299,708 kilometers per second = 186,230 statute miles per second = 161,829 nautical miles per second
Sound in dry air at 59°F or 15°C and standard sea level pressure	= 983.294 feet per microsecond
Sound in 3.485 percent saltwater at $60^{\circ}F_{}$	= 661.48 knots = 340.29 meters per second = 4,945.37 feet per second = 3,371.85 statute miles per hour = 2,930.05 knots
Volume	= 1,507.35 meters per second = 16.387064 cubic centimeters* = 0.016387064 liter* = 0.004329004 gallon

1 cubic foot	= 1,728 cubic inches*
	= 28.316846592 liters*
	= 7.480519 U.S. gallons
	= 6.228822 imperial (British) gallons
	= 0.028316846592 cubic meter*
1 cubic yard	= $=$ 46,656 cubic inches*
	= 764.554857984 liters*
	= 201.974026 U.S. gallons
	= 168.1782 imperial (British) gallons
	= 27 cubic feet*
	= 0.764554857984 cubic meter*
1 milliliter	= = 0.06102374 cubic inch
	= 0.0002641721 U.S. gallon
	= 0.00021997 imperial (British) gallon
1 cubic meter	= 264.172035 U.S. gallons
	= 219.96878 imperial (British) gallons
	= 35.31467 cubic feet
	= 1.307951 cubic yards
1 quart (U.S.)	= $=$ 57.75 cubic inches*
	= 32 fluid ounces*
	$= 2 \text{ pints}^*$
	= 0.9463529 liter
	= 0.25 gallon*
1 gallon (U.S.)	= $=$ 3,785.412 milliliters
	= 231 cubic inches*
	= 0.1336806 cubic foot
	$= 4 \text{ quarts}^*$
	= 3.785412 liters
	= 0.8326725 imperial (British) gallon
1 liter	= $=$ 1,000 milliliters
	= 61.02374 cubic inches
	= 1.056688 quarts
	= 0.2641721 gallon
1 register ton	$ _ _ _ = 100 $ cubic feet*
	= 2.8316846592 cubic meters*
1 measurement ton $_$ $_$ $_$ $_$ $_$ $_$ $_$	= = 40 cubic feet*
	= 1 freight ton*
1 freight ton	= = 40 cubic feet*
	= 1 measurement ton*
Volume-Mass	
1 cubic foot of seawater	= $=$ 64 pounds
	= 62.428 pounds at temperature of maximum density (4°C = 39.2°F)
1 cubic foot of ice	
1 displacement ton	
-	$= 1 \log ton$

	Prefix	Symbol
$= 10^{12}$	tera	Т
$= 10^9$	giga	G
$= 10^{6}$	mega	М
$= 10^3$	kilo	k
$= 10^{2}$	hecto	h
$= 10^{1}$	deka	da
$= 10^{-1}$	deci	d
$= 10^{-2}$	centi	с
$= 10^{-3}$	milli	m
= 10-6	micro	μ
= 10 ⁻⁹	nano	n
$= 10^{-12}$	pico	р
$= 10^{-15}$	femto	f
$= 10^{-18}$	atto	a
	$= 10^{9}$ = 10 ⁶ = 10 ³ = 10 ² = 10 ¹ = 10 ⁻¹ = 10 ⁻² = 10 ⁻³ = 10 ⁻⁶ = 10 ⁻⁹ = 10 ⁻¹² = 10 ⁻¹⁵	$= 10^{12} \text{ tera}$ = 10 ⁹ giga = 10 ⁶ mega = 10 ³ kilo = 10 ² hecto = 10 ¹ deka = 10 ⁻¹ deci = 10 ⁻² centi = 10 ⁻³ milli = 10 ⁻⁶ micro = 10 ⁻⁹ nano = 10 ⁻¹² pico = 10 ⁻¹⁵ femto

Prefixes to Form Decimal Multiples and Sub-Multiples of International System of Units (SI)

NGA MARITIME SAFETY INFORMATION NAUTICAL CALCULATORS

NGA's Maritime Safety Office website offers a variety of online Nautical Calculators for public use. These calculators solve many of the equations and conversions typically associated with marine navigation. See the link provided below.



Link to NGA Nautical Calculators. https://msi.nga.mil/NGAPortal/MSI.portal?_nfpb=true&_st=&_pageLabel=msi_portal_page_145

List of NGA Maritime Safety information Nautical Calculators https://msi.nga.mil

Celestial Navigation Calculators		
Compass Error from Amplitudes Observed on the Visible Horizon		
Altitude Correction for Air Temperature		
Table of Offsets		
Latitude and Longitude Factors		
Altitude Corrections for Atmospheric Pressure		
Altitude Factors & Change of Altitude		

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Compass Error from Amplitudes observed on the Celestial Horizon
Conversion Calculators
Chart Scales and Conversions for Nautical and Statute Miles
Conversions for Meters, Feet and Fathoms
Distance Calculators
Length of a Degree of Latitude and Longitude
Speed for Measured Mile and Speed, Time and Distance
Distance of an Object by Two Bearings
Distance of the Horizon
Distance by Vertical Angle Measured Between Sea Horizon and Top of Object Beyond Sea Horizon
Traverse Table
Geographic Range
Distance by Vertical Angle Measured Between Waterline at Object and Top of Object
Dip of Sea Short of the Horizon
Distance by Vertical Angle Measured Between Waterline at Object and Sea Horizon Beyond Object
Meridional Parts
Log and Trig Calculators
Logarithmic and Trigonometric Functions
Sailings Calculators
Great Circle Sailing
Mercator NGA Sailing
Time Zones Calculators
Time Zones, Zone Descriptions and Suffixes
Weather Data Calculators
Direction and Speed of True Wind
Correction of Barometer Reading for Height Above Sea Level
Correction of Barometer Reading for Gravity
Temperature Conversions
Relative Humidity and Dew Point
Corrections of Barometer Reading for Temperature
Barometer Measurement Conversions

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